

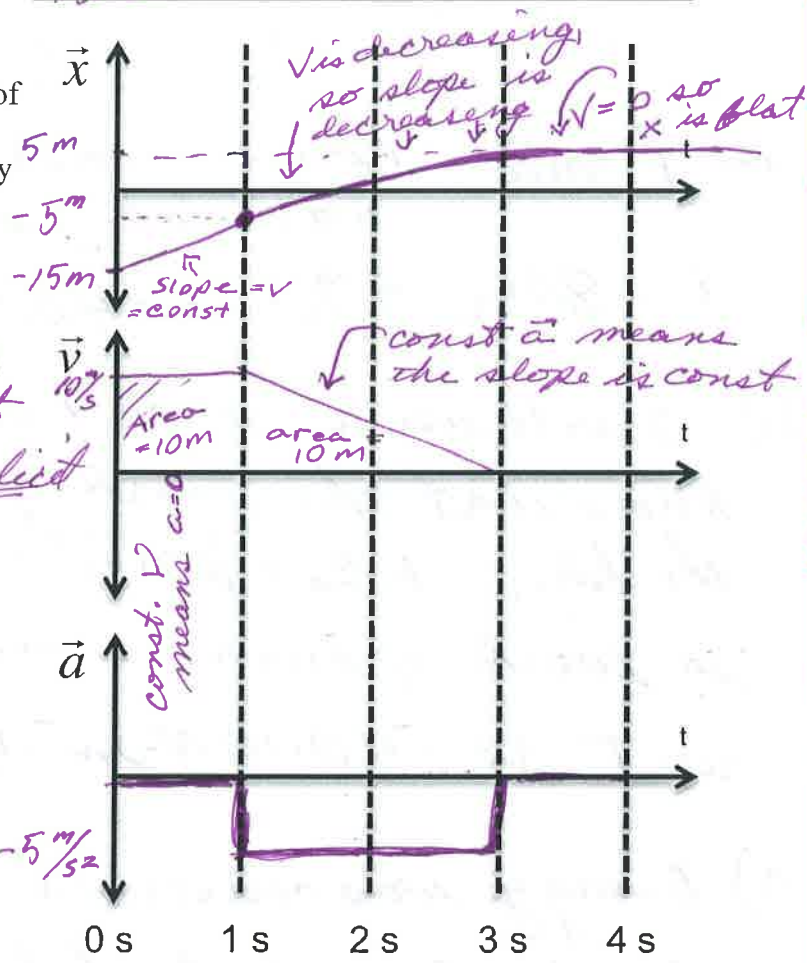
Pete

- 1) My mass is 70 kg, and the mass of my bike is 10 kg. I'm riding my bike at a constant speed of 10 m/s. However, at exactly $t = 1$ s, my displacement is -5 m and I see a car and I apply a constant force, and slow to a stop over a period of two seconds. Please graph my acceleration, velocity, and displacement as a function of time. Label the axes correctly.

This is a straight up Kinematics lens because we are looking at variables of motion as an explicit function of time.

*a little (dynamics) $F = ma$, because F is constant, a must be constant.
 $a = \frac{\Delta v}{\Delta t} = \frac{-10 \text{ m/s}}{2 \text{ s}} = -5 \text{ m/s}^2$*

because I know speed decreases at a constant rate, the \vec{v} graph is a straight line between 1s + 3s, but the slope of the \vec{x} -t graph must decrease. the area under the \vec{v} -t graph is the change in \vec{x} .



2) In the last problem, please find

- The force exerted by my breaks.
- The work done by my breaks and the average power.
- Was energy conserved in this process? How?

a) $\vec{F} = m\vec{a}$ Forces because I know the \vec{a} + I want to know the force.

$$F = 80 \text{ kg} \cdot 5 \text{ m/s}^2 = -400 \text{ N}$$

b) I will use a work + energy lens because I know that the work of the breaks = ΔKE of the bike. $KE_0 = \frac{1}{2} m v_0^2 = \frac{1}{2} (80 \text{ kg}) (10 \text{ m/s})^2 = \underline{4000 \text{ J}}$
so work of breaks must = -4000 J , let's check:

$$W = F \cdot \Delta x = -400 \text{ N} \cdot 10 \text{ m} = -4000 \text{ J} \text{ good!}$$

c) Energy was conserved! the friction of the breaks turned the bike's KE into Heat (molecular, random kinetic energy)