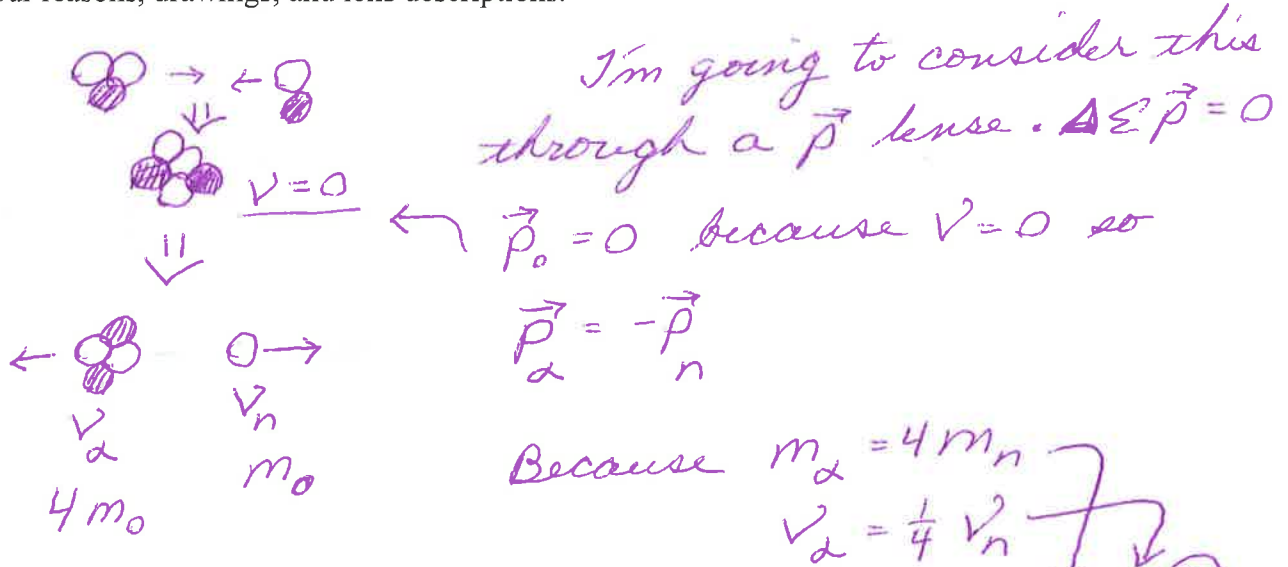


- 1) Fusion is the process that powers the sun and hydrogen bombs: small nuclei are fused into larger nuclei. One fusion process involves a triton (two neutrons and a proton) and a deuteron (one neutron and a proton) fusing to form a supercharged 5-nucleon nucleus, which gives off its energy by breaking up into a single neutron and a helium nucleus (or alpha particle) at high speeds. I want to know which of the particles gets more of the energy. Let's simplify the problem to just the explosive breakup: Protons and neutrons have the same mass, so we can think of this process as a 5-ball cluster (in space, at rest) breaking up into one ball and a 4-ball cluster. Do the two pieces equally share the kinetic energy or does one get all or more kinetic energy? You will be graded not on your answer, but on your reasons, drawings, and lens descriptions.

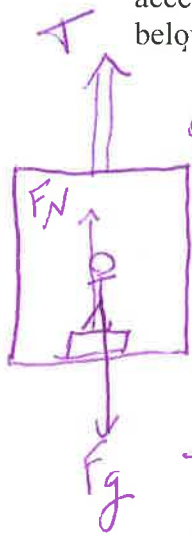


now I can compare their $KE = \frac{1}{2}mv^2$ to see that $KE_n = 4KE_\alpha$. An easier way to express this is $KE = \frac{p^2}{2m}$. Because $|p|$ is the same.

in conclusion: they have opposite \vec{p} and the KE of the neutron is 4 times the KE of the alpha particle.

2) My friend at mass 50 kg is on a scale in an elevator headed upwards at a constant speed of 8 m/s until $t = 2$ s. Over the next two seconds, the elevator smoothly comes to a stop at 20 m height.

a) Please make the displacement, velocity, acceleration graphs at right. Show your work below, including lens explanation



$0s < t < 2s \quad a = 0$
 $v = 8 \text{ m/s } \uparrow$
 $2s < t < 4s \quad a = \downarrow$
 $v_f = 0$

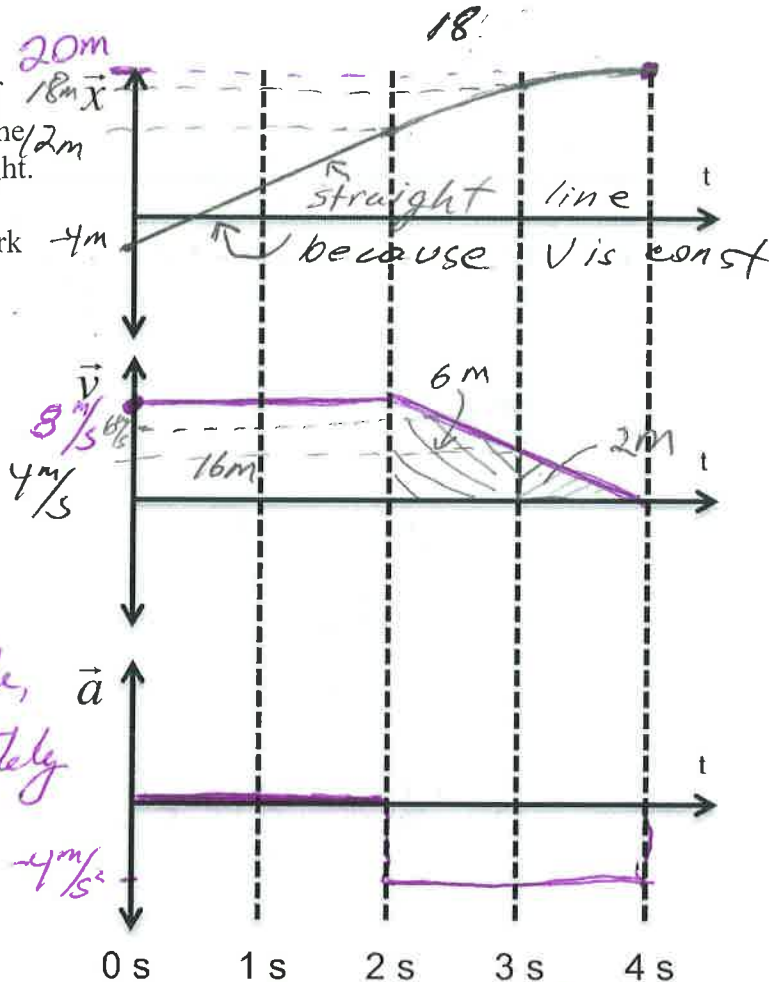
The stuff in purple, I can do immediately

Then I switch to pencil

$$a = \frac{dv}{dt} = \frac{-8 \text{ m/s}}{2s} = -4 \text{ m/s}^2$$

$$v = \frac{dx}{dt} \text{ so } dx = v dt = \text{area under } v \rightarrow t \text{ graph}$$

then I worked backwards from $x = 20 \text{ m}$ @ $t = 4 \text{ s}$ by subtracting 2m, 6m, 16m.



b) Please calculate what the scale reads under my friend at $t = 1$ s, and at $t = 3$ s. Include discussion of lens and drawing

Refer to drawing above: it's a FBD

This is a dynamics problem ... "Oh Joy!" I know

what to do: $\sum \vec{F}_{\text{girl}} = m \vec{a}_{\text{girl}}$ $\uparrow F_N + F_g = ma$

question: "She's accelerating \downarrow ", so I define \downarrow as the positive direction. Consequently, so I draw a

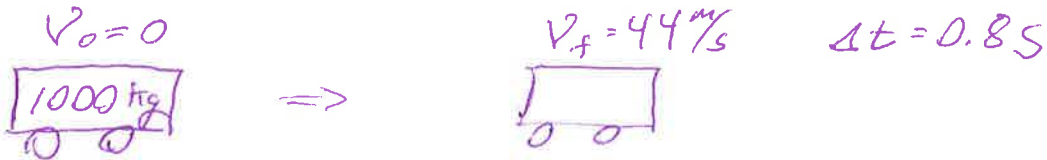
$\sum \vec{F}$ diagram $\uparrow F_N$ $\downarrow F_g$ $|F_g| > |F_N|$ because $a \downarrow$
 $\sum \vec{F} \Rightarrow \downarrow \downarrow$ how much? $ma = 50 \text{ kg } (4 \text{ m/s}^2) = 200 \text{ N}$

so reading on the scale = $F_N = F_g - 200 \text{ N} = 300 \text{ N}$
 or scale reads 30 kg if it reads in assumed mass.

3) Dragsters have a mass of about 1000 kg and the best get to 44 m/s in about 0.8 s.

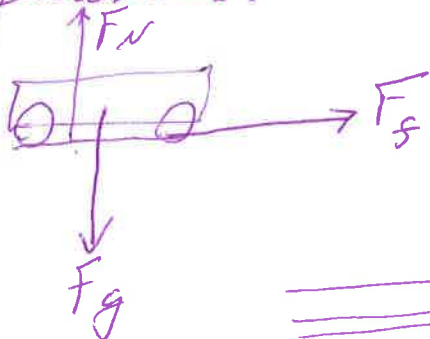
- What's the acceleration?
- Estimate the coefficient of friction necessary to make this happen in a regular car on a flat level road.
- What's the average power output during this 0.8 s?
- Dragsters have their exhaust pipes pointed upwards, which ejects a huge amount of exhaust at very high velocity *up into the air*. What effect does this thrust have on the coefficient of friction necessary to accelerate the car? *Why?*

For all parts, please start with clarification of reasons, drawings, lenses.

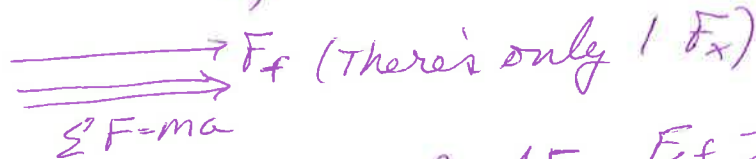


a) $a = ?$ This is about motion + time so kinematics
 $a = \frac{\Delta v}{\Delta t} = \frac{44 \text{ m/s}}{0.8 \text{ s}} = 55 \text{ m/s}^2$ or 5.5g wow!

b) We know a , and want to know force... so we use dynamics.
 $\sum F_y = ma_y = 0$, so $F_N = F_g = mg$
 $\sum F_x = ma = m \cdot 5.5g = F_f$



$$F_f = \mu F_N \quad \mu = \frac{F_f}{F_N} = 5.5 \quad (\text{wow})$$



c) Energy lens because $P = \frac{\Delta E}{\Delta t} = \frac{E_f - E_0}{\Delta t}$
 we are only looking at $KE = \frac{1}{2} m v^2 = \frac{1}{2} (1000 \text{ kg}) (44 \text{ m/s})^2$
 $= 968 \text{ kJ}$

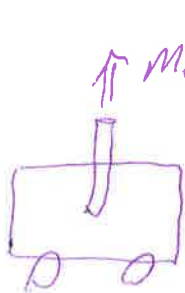
$$\begin{matrix} 176 \\ 176 \\ 1936 \text{ m}^2/\text{s}^2 \end{matrix} \times \frac{1}{2} = 968 \text{ m}^2/\text{s}^2$$

$$\text{kg} \frac{\text{m}^2}{\text{s}^2} = \text{J} \quad P = \frac{968 \text{ kJ}}{0.8 \text{ s}} = 1210 \text{ kW} \approx 1600 \text{ HP}$$

d) see other side

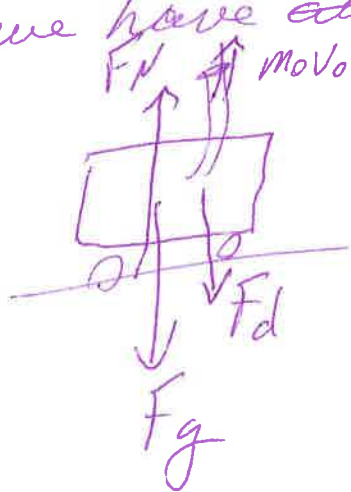
like 10 regular cars

3d)



I could look at this through \vec{p} lens: the gas starts at rest + gets $\Delta \vec{p} \uparrow$ exchanging \vec{p} w/ car so car gets $\Delta \vec{p} \downarrow$. ~~or~~ you could use dynamics

The $F \uparrow$ to accelerate the gas upward = $F \downarrow$ on the car because it's the same force. Either way, this creates a \downarrow force on the car. now we have ~~also~~ another term in the $\Sigma \vec{F}_y = m \vec{a}_y = 0$



$$F = \frac{m_0 v_0}{dt}$$

so now $F_N \uparrow$, $F_N = F_g + F_d$

recall $F_f = \mu F_N$, so if

$F_N \uparrow$, μ can be less!